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**Research Article** 



# Hodges Conjecture Clay Institute Millennium Problem Solution

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**Abstract:** Here we consider the Hodge's Conjecture that expresses when a projective manifold coincides with a sum of algebraic cycles. More generally, this entails the convergence of geometry and calculus which has been discussed in this author's previous paper.

Keywords: Hodge's Conjecture; Polynomials; Analytic sums; Geometry; Calculus.

#### **INTRODUCTION**

In his paper, we consider the Hodge's Conject Clay Institute Millennium Problem solution. That problem is described as follows:

## **HODGE CONJECTURE**

Let X be a non-singular complex projective manifold. Then every Hodge class on X is a linear combination with rational coefficients of the cosmology classes of complex sub varieties of X.

# The Problem

The Hodge Conjecture addresses the following natural question:

Let X be a projective manifold. Suppose C is a topological cycle on X. When is C homologous to a formal sum of algebraic cycles?

One obvious condition: Since an algebraic cycle is complex, it has even (real) dimension.

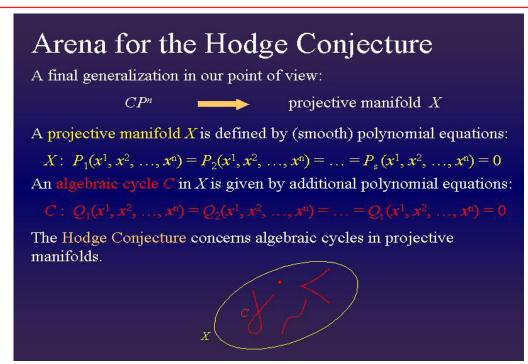
A typical issue in geometry: Find a geometric representative of a topological equivalence class of "cycles"

Hodge's proposed characterization of sums of algebraic cycles brings in our final theme:

• Interplay between geometry and calculus

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Ibid.

Consider:

Consider.	
$\mathbb{CP}^n$ —»Projected Manifold X	Eq.(1)
X=Polynomial $\mathbb{P}^n$	Eq.(2)
C=Analytic function =transcendental (sin , Ln, e)	Eq.(3)
Let X be the variable in the Golden Mean Polynomial	
x <sup>2</sup> -x=0	Eq.(4)
x(x-1)=0	Eq.(5)
x=0 Trivial	
x=1singular	
X=2 y=4	Eq.(6)
X=3 y=6	
X=4 y=12	
X=5 y=20	
X=6 y=30	
X=-1 y=2	
X=-2 y=6	
Etc.	
Therefore, roots are always even.	

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Let ∑C=C	Eq.(7)
Therefore, the function equals the derivative.	
$\int C = C^2/2 = C$	Eq (8)
C <sup>2</sup> =2C	
C=2	
$C\mathbb{P}^{n}=2\mathbb{P}^{n}=X$	Eq. (9)
$2\mathbb{P}^n=x^2-x-0$	Eq.(10)
$2\mathbb{P}^n=1$	
$\mathbb{P}^{n}=1/2$	
$\mathbb{P}=^{n}\sqrt{(1/2)=1/n}\sqrt{2}$	Eq.(11)
Let C'=2/3 * $2^{3/2}$ =0.4242~ $\pi$ -e	Eq.(12)
$C=\int(\pi-e^x) dx = x - e^x$	Eq.(13)
$C\mathbb{P}^{n}=(x-e^{x})(1/\sqrt{2})=x^{2}-x$	Eq.(14)
So, the solution is:	
$x^{2}-x-(x-e^{x})(1/\sqrt{2})=0$	Eq. (15)
When n=1, the last term becomes sin $45^\circ$ = cos $45^\circ$	
And the natural logarithm function:	
when x=1, y=0	
&	
y'=y=1	Eq.(16)
This is the ln function.	
$\sin u + v + x^2 + y^2 = z^2$	Eq.(17)
For $x^2 + y^2 = z^2 = Radius = 1$	Eq.(18)
When x=1, y=0	
$\sin u + v + \sin x^2 + \sin Y^2 = \sin (1)$	Eq.(19)
$0.8415 + (-0.8415) + (\sin^2 1) + (\sin^2 0) = 0.8415$	Eq.(20)
$\sin^2 0 = 0$	
sin <sup>2</sup> 1=0.8415	
0.8415-0.8415+0.0 +0.8415=0.8415	
0+0.8415 =0.8415	Eq.(21)
True!	

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## **CONCLUSION**

We have worked out a possible set of solutions to the Hodges Conjecture. We have considered Analytic functions, C, summed into the general polynomial, P. This allows us to mold geometry and calculus together.

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